Are Government Spending Multipliers Greater during Periods of Slack? Evidence from Twentieth-Century Historical Data[†]

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A key question that has arisen during recent debates is whether government spending multipliers are larger during periods of slack. Some researchers and policymakers have argued that while government spending multipliers are estimated to be modest *on average*, they might become greater during times when resources are underutilized. Auerbach and Gorodnichenko (2012, forthcoming)—henceforth, AG—test this hypothesis and find larger multipliers during recessions in both quarterly post-World War II US data and in annual cross-country panel data since 1985. Their findings suggest multipliers near zero during expansions but between 1.5 and 2 during recessions. Fazzari, Morley, and Panovska (2012) confirm these findings using different methods and measures of slack in US data since 1967. Gordon and Krenn (2010) find that multipliers are larger before mid-1941 than after in their analysis of US data from 1919 to 1953. In addition, numerous cross-state analyses estimate bigger multipliers during periods of slack. On the other hand, Crafts and Mills (2012) analyze government spending multipliers in UK data from 1922 to 1938—a period of considerable slack—yet find multipliers between 0.5 and 0.8.

This paper contributes to this debate by using newly constructed historical data for the United States and Canada to examine whether government spending multipliers are larger during periods of significant slack. The fluctuations in government spending and unemployment during the two World Wars and the Great Depression were large, so data from this period are potentially rich sources of information on time variation in government spending multipliers.

In contrast to some of the previous findings, we do not observe higher multipliers during times of slack in the United States. For Canada, we find evidence for multipliers that are substantially higher during periods of slack in the economy.

I. Data

We construct historical data for both the United States and Canada on GDP, the GDP deflator, government spending, population, and the unemployment rate. We choose to use quarterly data, which requires interpolation, rather than annual data, because agents often react quickly to news. As the online data Appendix outlines, we use various higher frequency series to interpolate existing annual series. In addition, we use narrative methods to extend Ramey's (2011) "news" variable reflecting changes in the expected present value of government spending in response to military events. We extend the series back in time for the United States and construct a preliminary news series for Canada based on events around WWII and the Korean War. Because of data availability, our sample extends from 1890:I to 2010:IV for the United States and from 1921:I to 2011:IV for Canada.

Our measure of slack is the unemployment rate. For the United States, we use 6.5 percent as the threshold based on Bernanke's recent announcement about policy. This results in

News (percent of GDP)

Unemployment rate

Year

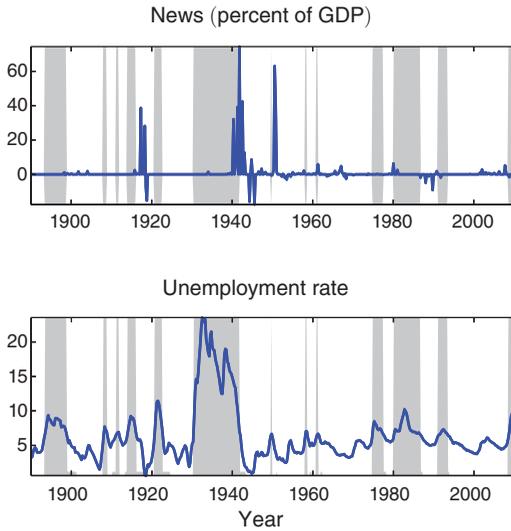FIGURE 1. US UNEMPLOYMENT AND MILITARY
SPENDING NEWS

Note: Shaded areas indicate time periods when the unemployment rate is above the threshold.

News (percent of GDP)

Unemployment rate

Year

FIGURE 2. CANADIAN UNEMPLOYMENT AND
MILITARY SPENDING NEWS

Note: Shaded areas indicate time periods when the unemployment rate is above the threshold.

one-third of the observations being above the threshold. For Canada, we use 7 percent; even with the higher threshold 50 percent of the observations are above the threshold.

Figures 1 and 2 show the unemployment rate and the military spending news shocks for the two countries. As Figure 1 shows, the largest military spending news shocks are distributed across periods with a variety of unemployment rates in the United States. For example, the largest news shocks about World War I and the Korean War occurred when the unemployment rate was below 6.5 percent. In contrast, the initial large news shocks about WWII occurred when the unemployment rate was still very high. Formal tests indicate that the news variable has significant explanatory power and high instrument relevance for government spending in the United States, overall and separately across the two unemployment states.

The Canadian data extend back only to 1921, and, thus, do not include WWI. Figure 2 shows that the initial large news shocks of WWII occur when the unemployment rate is still elevated, but later ones arrive when the unemployment rate is quite low. All of the Korean War news shocks occur when the unemployment rate is low. Formal tests suggest that the preliminary military
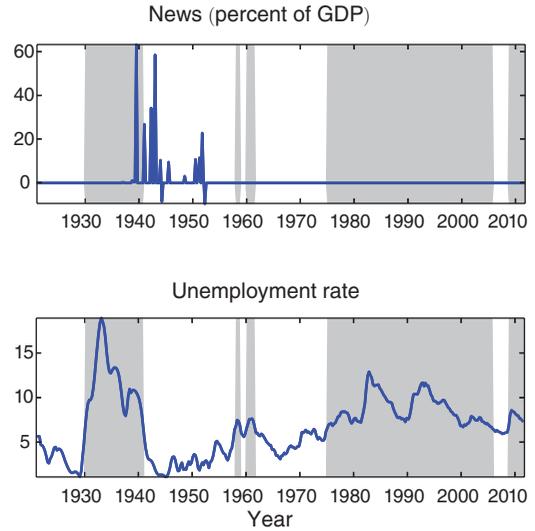
news variable for Canada has somewhat lower explanatory power and instrument relevance than for the United States.

II. Econometric Method

Following AG (forthcoming), we use Jordà's (2005) local projection technique to calculate impulse responses. This method easily accommodates state dependence and does not impose the implicit dynamic restrictions involved in VARs.

We estimate a set of regressions for each horizon h as follows:

$$(1)\, z_{t+h} = I_{t-1} \left[\alpha_{Ah} + \psi_{Ah}(L)y_{t-1} \right.$$

$$+ \,\Omega_{Ah}(L)g_{t-1} + \beta_{Ah} \frac{news_t}{Y_{t-1}} \right]$$

$$+ \,(1 - I_{t-1})$$

$$\left[\alpha_{Bh} + \psi_{Bh}(L)y_{t-1} \right.$$

$$+ \,\Omega_{Bh}(L)g_{t-1} + \beta_{Bh} \frac{news_t}{Y_{t-1}} \right]$$

$$+ \,quartic\ trend + \varepsilon_t.$$

z is a function (discussed below) of either real per capita GDP (Y) or government spending (G), y and g are the logs of these variables, and "news" is the change in the expected present value of government spending caused by military events. h is the horizon, and the functions of L denote polynomials in the lag operator. I is a dummy variable that takes the value of one when the unemployment rate is above a threshold. We allow all of the coefficients (except those on trend terms) to vary according to whether the unemployment rate is above ("A") or below ("B") the threshold. The shock we identify is to the news variable.

As an illustration of the method, we estimate the two-quarter-ahead impulse response of z by regressing z_{t+2} on the variables on the right-hand side of equation (1). We use the estimate of $\beta_{A,2}$ for the high unemployment rate state and $\beta_{B,2}$ for the low unemployment rate state. We estimate separate regressions for output and government spending at each horizon h.

The standard way to define the z is as the log of real GDP and government spending. However, the calculated impulse response functions do not directly reveal the government spending multiplier because the percent changes must be converted to dollar equivalents. Virtually all analyses using VAR methods obtain the spending multiplier by using an ad hoc conversion factor based on the sample average of Y/G. Our investigations reveal that this widely used method can lead to biases in multiplier estimates. In particular, we find that this method often generates multipliers greater than unity even when auxiliary specifications show that private spending falls when government spending increases. This bias occurs because the ratio of Y/G varies greatly over the sample period we consider. Thus, we instead use the variable definitions of Hall (2009) and Barro and Redlick (2011) that convert GDP and government spending changes to the same units. In particular, our z variables are defined as $(Y_{t+h} - Y_{t-1})/Y_{t-1}$ and $(G_{t+h} - G_{t-1})/Y_{t-1}$. The first variable is approximately equal to $\ln(Y_{t+h}) - \ln(Y_{t-1})$ and, hence, is analogous to the standard VAR specification. The second variable can be rewritten as

$$(2) \quad \frac{G_{t+h} - G_{t-1}}{Y_{t-1}} = \frac{G_{t+h} - G_{t-1}}{G_{t-1}} \cdot \frac{G_{t-1}}{Y_{t-1}}$$

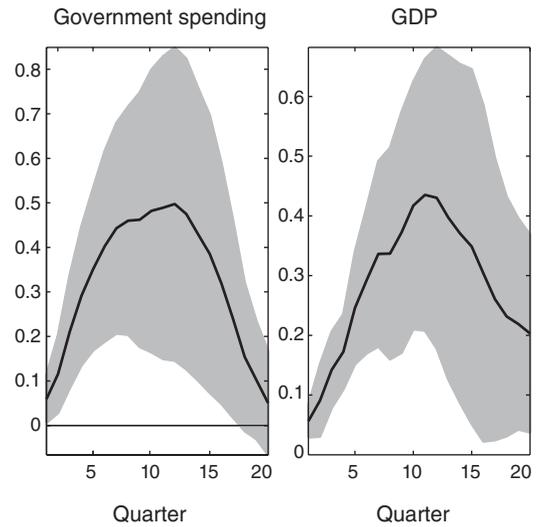$$\approx (\ln G_{t+h} - \ln G_{t-1}) \cdot \frac{G_{t-1}}{Y_{t-1}}$$

FIGURE 3. US RESPONSE OF GOVERNMENT SPENDING AND GDP TO A NEWS SHOCK EQUAL TO 1 PERCENT OF GDP, LINEAR MODEL

Note: Grey areas are 95 percent confidence intervals.

Thus, this variable converts the percent changes to dollar changes using the value of G/Y *at each point in time* rather than the average over the entire sample. This means that the coefficients from the Y equations are in the same units as those from the G equations, which is required for constructing multipliers. It would be difficult to perform this variable transformation if we were using standard VAR methods to compute impulse responses; it is easy to do so in the Jordà framework.

III. Results

Figure 3 shows the responses of government spending and output to a military news shock in the linear model using the US data. The bands are 95 percent confidence bands and are based on Newey-West standard errors that account for the serial correlation induced in regressions when the horizon $h > 0$. After a shock to news, output and government spending begin to rise and peak at around 12 quarters.

Multipliers are derived from the estimated $\beta_{A,h}$ and $\beta_{B,h}$ from the Y and G equations. We compute multipliers over three horizons: as the cumulative responses through two years, four years, and at the peaks of each response. As indicated in the first column of the top panel of

Table 1—Estimated Multipliers

	Linear model	High unemployment	Low unemployment
	(1)	(2)	(3)
United States			
2 year integral	0.72	0.76	0.72
4 year integral	0.81	0.78	0.88
Peak	0.88	0.83	0.93
Canada			
2 year integral	0.67	1.60	0.44
4 year integral	0.79	1.16	0.46
Peak	0.57	0.65	0.49

Note: The integral measures are computed as the ratio of the sum of coefficients from the *Y* and the *G* equations. The peak measure is the ratio of the coefficients at their respective peaks.
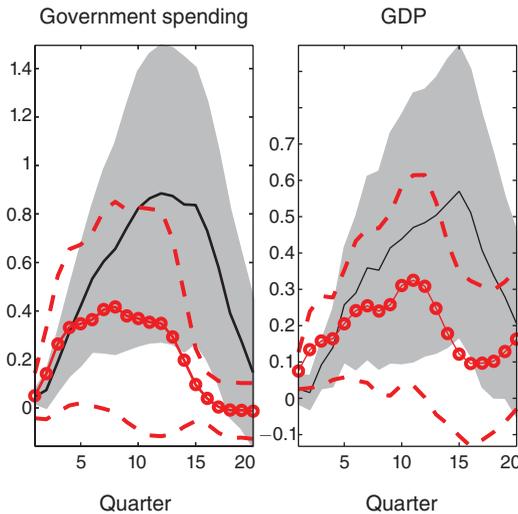

Figure 4. US Response of Government Spending and GDP to a News Shock Equal to 1 percent of GDP, State-Dependent Model

Notes: Solid lines are responses in the high unemployment state; lines with circles are responses in the low unemployment state. Ninety-five percent confidence intervals are shown.

Figure 5. Canada Response of Government Spending and GDP to a News Shock Equal to 1 percent of GDP, Linear Model

Note: Gray areas are 95 percent confidence intervals.

Table 1, the implied multipliers are below one and range from 0.7 to 0.9. These results are consistent with those of Barro and Redlick (2011) and Ramey (2011).

The key question of this paper is whether the linear model masks a higher multiplier during times of slack. Figure 4 shows the responses when we estimate the state-dependent model. Similar to many preexisting studies (e.g., AG
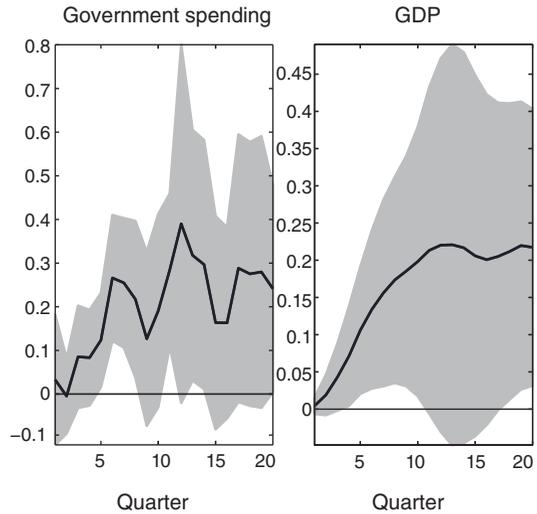
forthcoming), we find that output responds more robustly during high unemployment states. However, note that government spending also has a stronger response during those particular states. Consequently, columns 2 and 3 of Table 1 show that some of the implied multipliers are slightly *lower* during the high unemployment state in the US data and are always below unity.

These results are not due to our particular specification, for we find similar results if we use other unemployment values for the threshold, use a smooth transition threshold model as in AG (2012, forthcoming), or use the standard log variables for the dependent variables. In addition, we find that when we apply the Jordà method to AG's (2012) post-WWII data, based on either shocks to news or government spending, there is no significant difference in the responses across states. Further investigation is necessary to understand why the Jordà method, used by AG (forthcoming) on a panel of countries, produces results that are different from the STVAR model used by AG (2012) on US data.

Figure 5 shows the results for the linear model using the Canadian data. Both government spending and output rise in a sustained manner, though the estimated government spending responses are rather erratic. As the first column
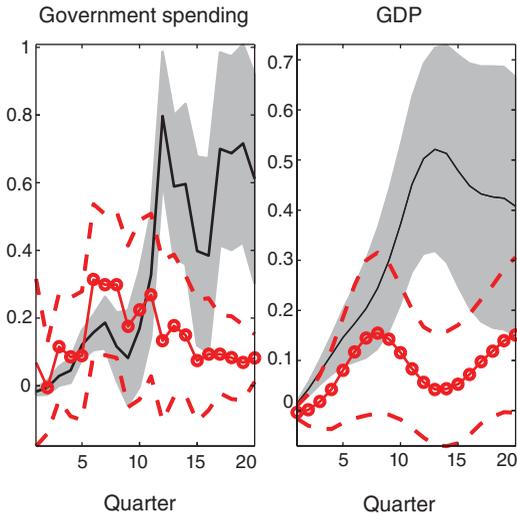
FIGURE 6. CANADA RESPONSE OF GOVERNMENT SPENDING AND GDP TO A NEWS SHOCK EQUAL TO 1 PERCENT OF GDP, STATE-DEPENDENT MODEL.

Note: Solid lines are responses in the high unemployment state, lines with circles are responses in the low unemployment state. Ninety-five percent confidence intervals are shown.

of Table 1 shows, the implied multipliers are below unity in the linear model.

Figure 6 shows the results from the state-dependent model. The responses of government spending and GDP are not very different for the first two years across states but then diverge starting in the third year when both government spending and GDP climb significantly in the high unemployment state.

Table 1 shows that the implied multipliers are greater during periods of slack in Canada. For example, using the multipliers based on the integral through two years, the value is 1.6 when the initial shock hits during the high unemployment state in contrast to only 0.44 when it hits in the low unemployment state. Thus, the Canadian estimates suggest that multipliers are substantially greater in the high unemployment state. The exact values depend on the horizon since the estimated responses tend to be erratic.

IV. Conclusions

We have investigated the proposition that multipliers are greater during periods of slack using newly constructed historical data for the United States and Canada. Using Jordà's (2005) local projection method, a threshold model based on the level of the unemployment rate, shocks to military news, and definitions of variables that obviate the need for ad hoc conversion factors, we find no evidence that multipliers are higher during periods of slack in quarterly US data from 1890 to 2010. In all states, multipliers appear to be between 0.7 and 0.9. In contrast, estimates using quarterly Canadian data from 1921 to 2011 indicate that multipliers are typically greater during periods of slack. The multipliers are around 0.5 during the nonslack state but are above unity during the slack state at many horizons. It is important to point out, though, that because we do not adjust for the fact that taxes often rise at the same time as government spending, these estimated multipliers are not necessarily equal to pure deficit-financed multipliers. In addition, our measure of spending is government purchases, which does not include transfers, so our analysis does not shed light on transfer payment multipliers.

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